

GEO SPLATTING: TOWARDS GEOMETRY GUIDED GAUSSIAN SPLATTING FOR PHYSICALLY-BASED INVERSE RENDERING

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ABSTRACT

We consider the problem of physically-based inverse rendering using 3D Gaussian Splatting (3DGS) representations Kerbl et al. (2023b). While recent 3DGS methods have achieved remarkable results in novel view synthesis (NVS), accurately capturing high-fidelity geometry, physically interpretable materials and lighting remains challenging, as it requires precise geometry modeling to provide accurate surface normals, along with physically-based rendering (PBR) techniques to ensure correct material and lighting disentanglement. Previous 3DGS methods resort to approximating surface normals, but often struggle with noisy local geometry, leading to inaccurate normal estimation and suboptimal material-lighting decomposition. In this paper, we introduce GeoSplatting, a novel hybrid representation that augments 3DGS with explicit geometric guidance and differentiable PBR equations. Specifically, we bridge isosurface and 3DGS together, where we first extract isosurface mesh from a scalar field, then convert it into 3DGS points and formulate PBR equations for them in a fully differentiable manner. In GeoSplatting, 3DGS is grounded on the mesh geometry, enabling precise surface normal modeling, which facilitates the use of PBR frameworks for material decomposition. This approach further maintains the efficiency and quality of NVS from 3DGS while ensuring accurate geometry from the isosurface. Comprehensive evaluations across diverse datasets demonstrate the superiority of GeoSplatting, consistently outperforming existing methods both quantitatively and qualitatively.

1 INTRODUCTION

The inverse rendering task, *i.e.*, recovering 3D attributes such as geometry, spatially-varying materials, and lighting from multi-view images or videos, has been a long-standing goal in computer vision and graphics. It plays a critical role in numerous industrial applications, including film production, gaming, and VR/AR, for photo-realistic novel-view synthesis and immersive user interactions. This task is typically approached using carefully designed 3D representations Mildenhall et al. (2020); Müller et al. (2022); Wang et al. (2021); Shen et al. (2021; 2023) coupled with the corresponding differentiable rendering techniques Boss et al. (2021a); Verbin et al. (2022a); Chen et al. (2019); Laine et al. (2020). While great progress has been made recently Munkberg et al. (2022); Jiang et al. (2023); Gao et al. (2023), efficiently and accurately capturing various 3D attributes remains challenging due to the complexities of light transport in real-world environments, including intricate local geometry, non-Lambertian surface, complex lighting conditions, occlusions, *etc.*

The key to tackling the inverse rendering task lies in effectively modeling the underlying 3D geometry, where Physically-Based Rendering (PBR) techniques can be applied to disentangle materials and lighting. Numerous prior works have developed various 3D representations and their corresponding differentiable rendering equations to address this challenge, each offering unique advantages and limitations. Implicit representations (*e.g.*, NeRF Mildenhall et al. (2020); Verbin et al. (2022b)) are well-suited for novel view synthesis but are computationally expensive and incompatible with existing graphics pipelines. In contrast, explicit representations (*e.g.*, mesh Munkberg et al. (2022)) provide explicit geometry, allowing for well-defined rendering techniques, facilitating tasks like relighting and material editing. However, optimizing explicit representations is challenging, especially when dealing with complex geometries like thin structures. More recently, 3D Gaussian Splatting (3DGS) Kerbl et al. (2023b) has emerged as an efficient 3D representation for high-quality novel-view

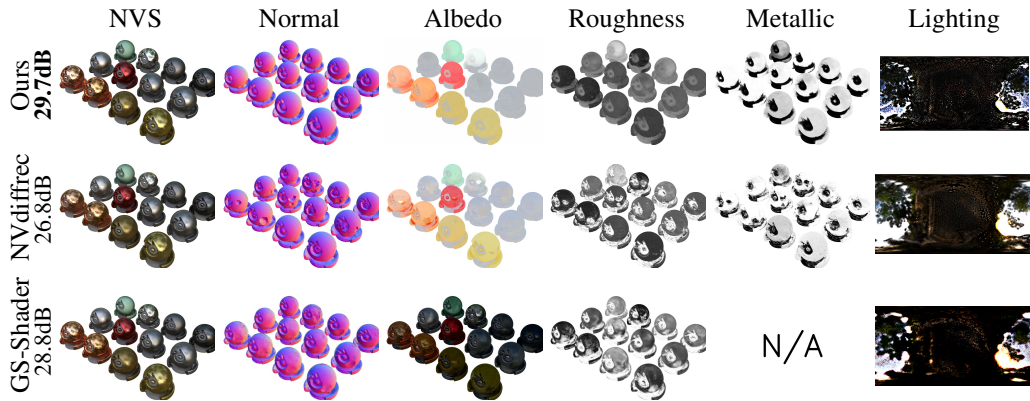


Figure 1: We propose GeoSplatting, a novel inverse rendering approach that augments Gaussian Splatting with explicit geometric guidance. GeoSplatting enables more accurate geometry recovery, and PBR material and lighting decomposition, achieving state-of-the-art performance in novel view synthesis. Note that our method and NVdiffrec Munkberg et al. (2022) both adopt standard split-sum PBR model, while GS-Shader Jiang et al. (2023) uses a modified version where albedo entangles with lighting. Please zoom in for details.

synthesis. However, vanilla 3DGS is not designed to provide accurate geometry or disentangled materials, limiting its applicability to inverse rendering tasks. To tackle this challenge, various methods have studied assigning a normal direction to each 3DGS point to model local geometric surfaces, along with a PBR formula using the approximated normals Jiang et al. (2023); Shi et al. (2023); Gao et al. (2023). However, these approaches offer only approximations of true normals, and as a result, may struggle with local minima in regions of complex geometry.

In this paper, we propose GeoSplatting, a more principled solution that leverages the strengths of both explicit representations and 3DGS for the inverse rendering task. At the core of GeoSplatting is a differentiable adaptor that integrates differentiable isosurface techniques Shen et al. (2021; 2023) with 3D Gaussian Splatting. Specifically, we first utilize the differentiable isosurface techniques to extract a mesh from a scalar field that we want to optimize. We then introduce MGadapter, *i.e.*, Mesh-to-Gaussian-adaptor, that samples 3D Gaussian points on the mesh surface in a differentiable manner, naturally grounding the location of each Gaussian points on the surface geometry, from which we could estimate precise normal for each point. To render the sampled 3D Gaussian points, we design an efficient and differentiable PBR framework, leveraging the split-sum model Karis (2013) and applying it into the 3D Gaussian points. During training, since all of the operations are differentiable, we are able to train our model end-to-end.

Our GeoSplatting offers several advantages over both 3DGS and explicit mesh-based representations. Compared to the vanilla 3DGS and its variants, our approach provides explicit geometric guidance from the isosurface, enabling more accurate normal estimation, which is crucial for inverse rendering optimization. On the other hand, compared to the mesh representations Munkberg et al. (2022), GeoSplatting leverages the high efficiency and superior rendering quality inherited from 3DGS. Moreover, while the concept of constraining 3DGS with geometry is not new Yu et al. (2024); Xiang et al. (2024), existing methods typically rely on a discrete optimization strategy where the implicit SDF field Wang et al. (2021) and Gaussian points are learned separately. In contrast, GeoSplatting explicitly guide Gaussian points with the isosurface and can be optimized in an end-to-end fashion, reducing training time and improving the inverse rendering quality.

We conduct extensive experiments to demonstrate the effectiveness of our method, where GeoSplatting achieves new state-of-the-art training efficiency and inverse rendering performance on both the NeRF dataset and the DTU real-world dataset. We showcase that GeoSplatting exhibits improved geometry, more precise material and lighting disentanglement, and superior novel view synthesis compared to previous Gaussian Splatting baselines.

2 RELATED WORK

3D Reconstruction Early works for 3D reconstruction primarily utilized structure-from-motion techniques to recover geometry, *i.e.*, estimating sparse or dense colored point clouds Schonberger & Frahm (2016); Fisher et al. (2021). Later, Neural Radiance Field (NeRF) Mildenhall et al. (2020) represented scenes using implicit functions and leveraged differentiable volume rendering Drebin et al. (1988) to reconstruct geometry and radiance, achieving highly detailed novel view synthe-

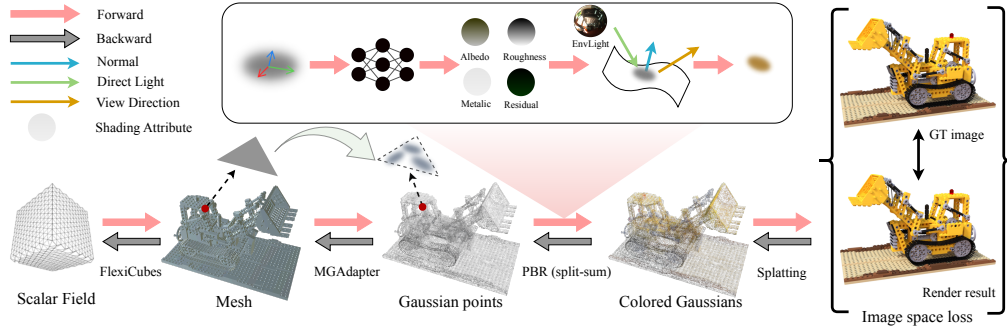


Figure 2: **Pipeline.** GeoSplatting first extracts an intermediate mesh from the scalar field, upon which Gaussian points are sampled and rendered using PBR equations. Finally, they are composited into images through the Gaussian rasterization pipeline. The entire process is fully differentiable.

sis. While NeRF encodes BRDF in a single radiance field, subsequent work has extended it by enhancing both the representations and the rendering equations to introduce more physical constraints, allowing the separation of physically-based rendering attributes such as normals, materials, and lighting Verbin et al. (2022a); Boss et al. (2021a;b); Yariv et al. (2021); Wang et al. (2021); Zhang et al. (2021a); Liang et al. (2023); Ge et al. (2023). However, the use of implicit representations and volume rendering in these methods makes them difficult to integrate into existing graphics pipelines, as well as require dense sampling that leads to slow rendering speed Müller et al. (2022). On the other hand, explicit representations (*e.g.*, mesh Shen et al. (2021; 2023)) combined with differentiable rendering techniques Chen et al. (2019; 2021); Laine et al. (2020) have demonstrated their ability to extract explicit geometry, material, and lighting from multi-view images Munkberg et al. (2022); Hasselgren et al. (2022). These approaches enable explicit decomposition, allowing their results to be directly used in graphics engines like Maya or Blender Autodesk, INC.; Community (2018). However, mesh optimization is typically more challenging than implicit fields, which often struggles with complex geometry (*e.g.*, thin structures), and is generally limited to object-level reconstructions. Recently, 3D Gaussian Splatting (3DGS) Kerbl et al. (2023a) has emerged as a powerful representation for novel view synthesis. However, its geometry is often misaligned with the ground truth surface and prone to floaters. To improve this, SuGaR Guédon & Lepetit (2024) introduced a set of regularizations to ensure Gaussian points closely adhere to the surface. 2DGS Huang et al. (2024) squeezed 3D Gaussian ellipsoids into 2D Gaussian surfaces and applied dist loss Barron et al. (2022) to improve surface accuracy. GSDF Yu et al. (2024) and Gaussian-Rooms Xiang et al. (2024) jointly trained 3DGS with implicit SDF fields to supervise each other. However, these approaches keep 3DGS and SDF separate, which may lead to local minima. In contrast, we combine explicit mesh representation and 3DGS in a unified framework, training the networks in an end-to-end fashion and enabling material and lighting decomposition.

Inverse Rendering with Gaussian Splatting While the vanilla 3DGS is not designed for inverse rendering tasks, a branch of research extends it for estimating materials and lighting Gao et al. (2023); Jiang et al. (2023); Shi et al. (2023). The key challenge lies in accurately modeling local geometry to obtain precise normal in the rendering equations. Different methods have employed various strategies to address this issue. For instance, R3DG Gao et al. (2023) learns additional normal attributes and regularizes normal directions using rendered depth maps. GS-Shader Jiang et al. (2023) utilizes the shortest axis direction, while GIR Shi et al. (2023) employs eigen decomposition to determine surface orientations. These methods also incorporate the Disney BRDF McAuley et al. (2012); Burley (2012) with split-sum simplification Karis (2013) and consider indirect lighting through ray tracing or residual terms. In contrast, our approach bridges isosurface and Gaussian together, which naturally results in more accurate local geometry and normal directions, and therefore bringing better inverse rendering performance.

3 METHODOLOGY

We now present a detailed description of our method. In Sec. 3.1, we introduce geometry-guided Gaussian Splatting, where the Gaussian points are generated on the isosurface. Next, in Sec. 3.2, we extend the standard Gaussian rendering equations by incorporating physically-based rendering (PBR) to account for higher-order lighting effects. Finally, in Sec. 3.3, we discuss the training strategies, loss functions, and other key implementation details.

3.1 GEOMETRY GUIDED GAUSSIAN POINTS GENERATION

Background In the vanilla 3DGS Kerbl et al. (2023b) paper, a Gaussian ellipsoid is represented by a full 3D covariance matrix Σ and its center position μ : $G(\mathbf{x}) = e^{-\frac{1}{2}(\mathbf{x}-\mu)^T \Sigma^{-1}(\mathbf{x}-\mu)}$, where \mathbf{x} is the location of a 3D point. To ensure a valid positive semi-definite covariance matrix, Σ is decomposed into the scaling matrix \mathbf{S} and the rotation matrix \mathbf{R} that characterizes the geometry of a 3D Gaussian. Beyond μ , \mathbf{S} and \mathbf{R} , each Gaussian maintains additional learnable parameters including opacity $o \in (0, 1)$ and Spherical Harmonic (SH) coefficients in \mathbb{R}^k representing view-dependent colors (k is related to SH order). During optimization, 3DGS adaptively controls the Gaussian distribution by splitting and cloning Gaussians in regions with large view-space positional gradients, as well as the culling of Gaussians that are nearly transparent. However, each Gaussian point is independent to others and lacks global geometry constraints, which often leads inaccurate surfaces and floaters.

Method Our goal is to introduce explicit geometric guidance to 3D Gaussian Splatting. To this end, we propose GeoSplatting, which leverages isosurface techniques Shen et al. (2021; 2023) to constrain Gaussian points to the mesh surface. Specifically, we hope to optimize a scalar function $\zeta : \mathbb{R}^3 \rightarrow \mathbb{R}$, which may be discretized directly as values at grid vertices or evaluated from an underlying neural network, *etc.* We employ Flexicubes Shen et al. (2023) as the underlying geometric representation, allowing for the extraction of an intermediate triangle mesh \mathbf{M} from ζ in a differentiable manner.

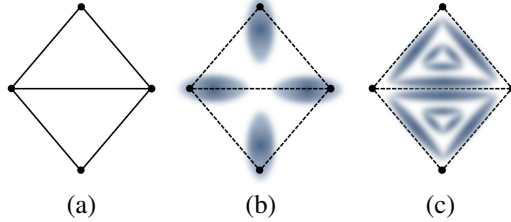


Figure 3: **MGAdapter Overview**. Given surface triangles (a), we initially place one Gaussian point at each vertex (b), then densely draw six Gaussian points on each face (c).

With the intermediate mesh \mathbf{M} as the explicit guidance, we then propose **MGAdapter** \mathcal{T} that samples Gaussian points from surface triangles in a differentiable manner to provide a bridge between mesh and Gaussian points. Specifically, the MGAdapter \mathcal{T} constrains the opacity and shape of the Gaussian points to ensure their alignment with the mesh \mathbf{M} .

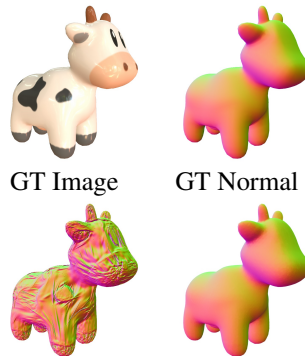
We first determine the location 3D Gaussian points from the isosurface mesh \mathbf{M} . As illustrated in Fig. 3, we explored various strategies and finally choose to an adaptive way. At the start of the optimization, since the scalar function ζ is randomly initialized and the initial mesh contains a large number of small faces, we only assign one Gaussian point to each vertex to reduce memory usage and accelerate training. As the shape gradually converges, we switch to face-based strategy, where we empirically place six Gaussian points on each triangle face in order to capture high-frequency geometric and texture details.

The opacity for each Gaussian point is set to one, and the position μ , scale \mathbf{S} , and rotation \mathbf{R} , along with the normal \mathbf{n} , are determined by the local geometry (vertices or faces):

$$(\mu, \mathbf{S}, \mathbf{R}, \mathbf{n}) = \mathcal{T}(\mathbf{M}). \quad (1)$$

Specifically, the position μ is a bary-centric interpolation of mesh vertices, the normal \mathbf{n} equals to the normal of corresponding mesh faces, the scale \mathbf{S} and the \mathbf{R} are heuristic functions relative to μ , which ensure that the shortest axis of the Gaussian point aligns with \mathbf{n} and maintain a size that adequately covers the triangle.

Additionally, since the boundaries of Gaussian ellipsoids extend beyond their center points μ , we allow μ to move slightly along the normal direction \mathbf{n} to better align with the surface. This surface adjustment v , which is crucial for novel view synthesis, can be automatically learned via hash grids Müller et al. (2022). Further details of MGAdapter can be found in the Supplementary.



3DGS Normal Our Normal
Figure 4: **Geometry-guided Normal Estimation**.

Discussion The geometry-guided MGAdapter offers significant advantages over both 3DGS Kerbl et al. (2023a) and mesh-based representations Munkberg et al. (2022). First, compared to 3DGS,

the geometry guidance from the isosurface provides more accurate geometry and precise surface normals without any depth or normal regularization terms, as shown in Fig. 4. This, in turn, significantly enhances the performance of inverse rendering tasks compared to prior works that rely on approximated normals. Moreover, transitioning from a mesh representation to Gaussian Splatting, *i.e.*, apply Gaussian-based rendering rather than mesh-based rendering, allows us to leverage the efficiency and representational capacity of Gaussian Splatting, enabling GeoSplatting to achieve much faster optimization time and superior novel view synthesis performance compared to NVDiffrec Munkberg et al. (2022) as shown in our experiments.

3.2 PHYSICALLY-BASED GAUSSIAN RENDERING

The vanilla 3DGS assigns each Gaussian point a k -order spherical harmonic parameter to represent basic color and view-dependent rendering effects. In our GeoSplatting, we hope to represent high-order lighting effects with PBR materials.

Background We utilize the physically-based rendering equation Kajiya (1986) and GGX microfacet model Walter et al. (2007) as follow:

$$L_o(\omega_o) = \int_{\mathcal{H}^2} f_r(\omega_i, \omega_o) L_i(\omega_i) |\mathbf{n} \cdot \omega_i| d\omega_i, \quad (2)$$

$$f_r(\omega_i, \omega_o) = \frac{\mathbf{a}}{\pi} + \frac{D(\omega_i, \omega_o) F(\omega_i, \omega_o) G(\omega_i, \omega_o)}{4|\mathbf{n} \cdot \omega_i| |\mathbf{n} \cdot \omega_o|}. \quad (3)$$

In Eq. 2, the outgoing radiance $L_o(\omega_o)$ in the direction ω_o is computed as the integral of the BRDF function $f_r(\omega_i, \omega_o)$, the incoming light $L_i(\omega_i)$, and the cosine term $|\mathbf{n} \cdot \omega_i|$, which accounts for the angle between the surface normal \mathbf{n} and the incoming light direction ω_i , over the hemisphere \mathcal{H}^2 . In Eq. 3, the GGX model defines the BRDF function $f_r(\omega_i, \omega_o)$ as two components: the diffuse term $\frac{\mathbf{a}}{\pi}$ and the specular term $\frac{D(\omega_i, \omega_o) F(\omega_i, \omega_o) G(\omega_i, \omega_o)}{4|\mathbf{n} \cdot \omega_i| |\mathbf{n} \cdot \omega_o|}$. The specular term models view-dependent specular surface reflection using the normal distribution function (NDF) D , the Fresnel term F , and the geometric attenuation G . To evaluate Eq. 2 efficiently, approximation methods such as split-sum Karis (2013) or spherical Gaussian Chen et al. (2021) are often used to bypass the need for extensive Monte Carlo sampling process. Following prior works Munkberg et al. (2022); Shi et al. (2023), we use a split-sum model:

$$L_o(\omega_o) \approx \int_{\mathcal{H}^2} f_r(\omega_i, \omega_o) |\mathbf{n} \cdot \omega_i| d\omega_i \int_{\mathcal{H}^2} L_i(\omega_i) D(\omega_i, \omega_o) |\mathbf{n} \cdot \omega_i| d\omega_i. \quad (4)$$

Eq. 4 enables fast pre-computation. The left BRDF term can be stored in a 2D lookup table and queried using $|\mathbf{n} \cdot \omega_i|$ and r , while the right term is represented by pre-integrated environment maps and can also be queried by r . This allows directly computing outgoing radiance L_o by the material parameters without any ray sampling, significantly improving rendering speed. For more details of PBR materials, please refer to Karis (2013); Munkberg et al. (2022).

Method Our goal is to add PBR materials to Gaussian points to produce high-order rendering effects, while still leveraging the efficient Gaussian rasterization pipeline. To achieve this, we compute the color of each Gaussian point using PBR equations, after which we take the Gaussian rasterization to render the final image through alpha composition.

Specifically, we assign each Gaussian point three PBR material parameters: a diffuse color $k_d = \frac{\mathbf{a}}{\pi} \in \mathbf{R}^3$, a roughness scalar r , and a metallic factor m . The roughness r determines the GGX normal distribution function (NDF) D , while the metallic factor m controls the specular highlight color k_s by interpolating between plastic and metallic appearances: $k_s = (1 - m) \times 0.04 + m \times k_d$. Finally, the color c_i of the i -th Gaussian point is computed as:

$$c_i = c_i^d + c_i^s + c_i^r, \quad (5)$$

where c_i^d and c_i^s represent the diffuse and specular components computed using the split-sum model. In addition, we learn a residual color c_i^r Jiang et al. (2023) to account for high-order indirect lighting effects. Once the color computation is complete, we apply the efficient Gaussian rasterization pipeline to render the points into an RGB image I and an alpha map M :

$$I = \sum_{i=1}^N c_i \alpha_i \prod_{j=1}^{i-1} (1 - \alpha_j), \quad M = \sum_{i=1}^N \alpha_i \prod_{j=1}^{i-1} (1 - \alpha_j), \quad (6)$$

where α is the projected opacity of each Gaussian. During rendering, we cull Gaussian points on back faces by checking the angle between surface normals and view directions.

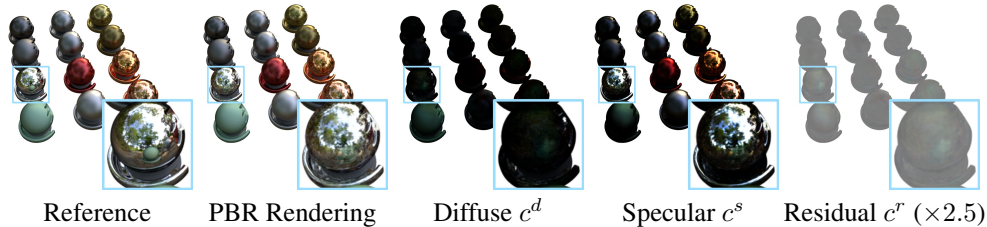


Figure 5: **PBR Rendering Decomposition.** Our PBR framework successfully disentangles the materials and lighting, capturing meaningful diffuse, specular and residual terms (Eq. 5). Note the residual image even learns the inter-reflection effects (the most shiny ball reflects a small green ball).

Discussion Our PBR pipeline enables both high-order PBR effects and efficient rendering speed. First, the PBR model allows us to capture specular, view-dependent lighting effects. Additionally, the residual component helps model inter-reflection effects beyond the capabilities of the split-sum model. Moreover, since the color is computed at each Gaussian point, the fast Gaussian rasterization pipeline can be directly employed to generate the final images. Fig. 5 shows examples of the decomposition of each lighting component of our methods.

3.3 IMPLEMENTATION DETAILS

Modeling PBR Attributes GeoSplatting constrains the shape and opacity of each Gaussian point based on the corresponding surface triangle, and learns the PBR material attributes by querying MLPs Müller et al. (2022). Specifically, for the geometry, we optimize a 96^3 grid using Flexicubes Shen et al. (2023). For each Gaussian point, we query its corresponding surface movement v , diffuse color k_d , roughness r , specular k_s and residual color c^r from a spatial MLP Müller et al. (2022) $F: (v, k_d, r, m, c^r) = F(\mu)$. Additionally, we learn a $6 \times 512 \times 512 \times 3$ environment map to model the lighting. Details of the network architecture are provided in the Supplementary.

Loss Functions GeoSplatting is a fully differentiable pipeline that can be trained end-to-end. Thanks to the geometry guidance, we do not require any surface or normal regularization terms, such as dist loss Barron et al. (2022) or pseudo depth normal loss Jiang et al. (2023); Gao et al. (2023), and the network can be supervised by photometric loss. However, similar to NVdiffrec, GeoSplatting also relies on an object mask loss, as optimizing the surface is more challenging. Specifically, the photometric loss is computed as: $\mathcal{L}_{photo} = \mathcal{L}_1 + \lambda_{ssim} \mathcal{L}_{SSIM} + \lambda_{mask} \mathcal{L}_{mask}$, where $\mathcal{L}_{mask} = \mathcal{L}_2(M_{pred}, M_{gt})$. Here we set $\lambda_{ssim} = 0.2$ and $\lambda_{mask} = 5.0$. Furthermore, we add an entropy loss to constrain the shape, following DMTet and Flexicubes Shen et al. (2021; 2023). To achieve better decomposition, we apply light regularization and smoothness regularization on k_d and k_s , following NVdiffrec and R3DG Munkberg et al. (2022); Gao et al. (2023). The final loss \mathcal{L} is a combination of the photometric loss and the regularization losses: $\mathcal{L} = \mathcal{L}_{photo} + \lambda_{entropy} \mathcal{L}_{entropy} + \lambda_{smooth} \mathcal{L}_{smooth} + \lambda_{light} \mathcal{L}_{light}$. Details are provided in the Supplementary.

Second Stage Optimization GeoSplatting optimizes the underlying SDF while producing Gaussian points for image rendering. However, due to grid resolution limitations, we find that mesh-produced Gaussian points still struggle to capture detailed textures and thin geometric structures. To address this, we introduce a second-stage optimization where the Gaussian points are freely optimized without being constrained by the mesh. In the first stage, the mesh-generated Gaussian points already provide a refined shape and materials. Building on this, the second-stage optimization further enhances geometry and texture details, achieving significant improvements in novel view synthesis and relighting.

4 EXPERIMENTS

We perform extensive experiments to verify the effectiveness of our inverse rendering method. We first evaluate novel view synthesis (NVS) in Sec. 4.1, demonstrating our superior performance over all relightable baselines. Next, we present material decomposition and relighting results of S4Relight in Sec. 4.2, showcasing our effectiveness in inverse rendering tasks. Additionally, we report geometric reconstruction accuracy in Sec. 4.3, and ablation studies in Sec. 4.5. Further implementation details can be found in the appendix. Our method is highly efficient, completing training within 15-20 minutes for the first stage and 5 minutes for the second stage—on an NVIDIA GTX 4090. All baselines are evaluated on 4090 as well.

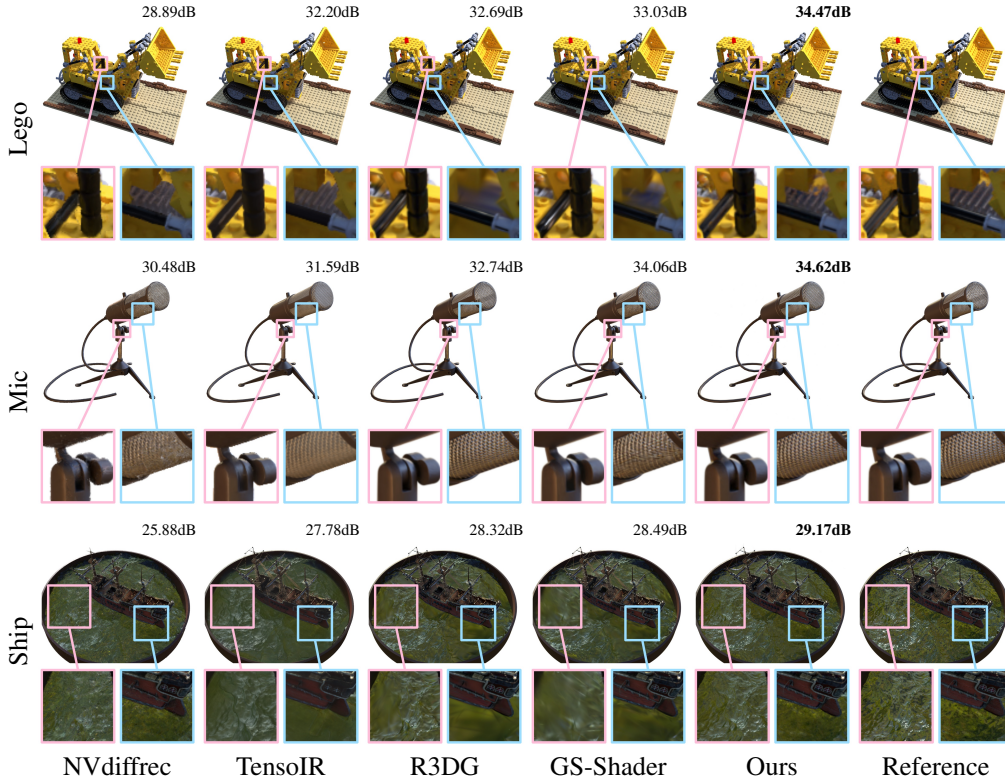


Figure 6: **Qualitative NVS comparison on NeRF dataset.** Our method effectively recovers complex geometries, detailed textures, and non-Lambertian appearances, as shown in the sub-windows.

4.1 PERFORMANCE ON NOVEL VIEW SYNTHESIS

Datasets & Metrics. We evaluate NVS performance on the NeRF Synthetic dataset, which includes 8 challenging scenes featuring complex geometry and non-Lambertian materials. Following previous work, we train on 100 input views and evaluate on 200 test views. We assess NVS quality using PSNR, SSIM, and LPIPS metrics, along with training and inference times, as shown in Tbl. 1. Qualitative results are provided in Fig. 6.

Performance & Discussion. We compare our method with both non-relightable and relightable approaches. Our results achieve new state-of-the-art performance over all relightable techniques as shown in Tbl. 1. We outperform the second best method almost 1db in PSNR, demonstrating the effectiveness of our method. Compared to mesh-based representation Munkberg et al. (2022), our method leverages the representation capability from 3DGS and achieves 3.53 PNSR improvement. Moreover, it also achieve best optimization efficiency, where each scene takes only 20 minutes. Fig. 6 shows the qualitative NVS results, where details are highlighted in the sub-windows. Compared to the baselines, our method recovers more detailed geometry (Mic) and better non-Lambertian appearance (Ship). For more results on the NeRF Synthetic dataset, please refer to the Supp.

Method	Relit	PSNR \uparrow	SSIM \uparrow	LPIPS \downarrow	Time \downarrow
NeRF*	X	31.01	0.947	0.081	1380
MipNeRF*	X	33.09	0.961	0.043	173.4
3DGS	X	33.17	0.988	0.029	15
2DGS	X	33.07	0.967	0.025	10.2
TensoIR	\checkmark	29.53	0.944	0.050	270
NVdiffrec	\checkmark	28.79	0.937	0.056	72
GS-IR	\checkmark	28.57	0.922	0.076	21.6
R3DG	\checkmark	30.15	0.954	0.044	141
GS-Shader	\checkmark	31.45	0.959	0.034	63
Ours	\checkmark	32.32	0.962	0.027	20

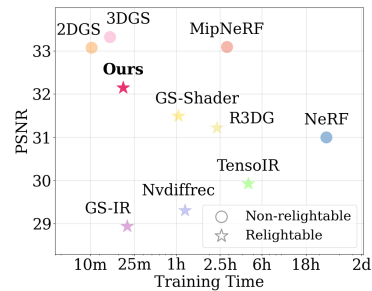


Table 1: **Quantitative NVS comparison on NeRF dataset** (* means copied from original papers). In the left table, ours results outperform all the relightable baseline methods in terms of both rendering quality and training efficiency (measured by average training minutes). In the right figure, we provide an intuitive overview, with the top-left corner representing superior performance. Notably, our method achieves the best results among all relightable approaches (indicated by a star marker).

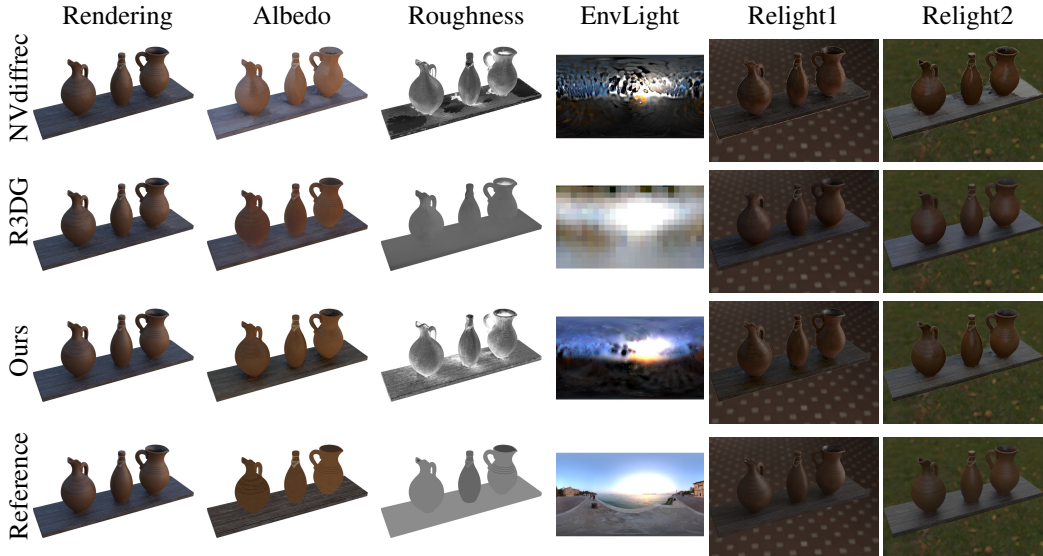


Figure 7: **Qualitative material decomposition & relighting comparison on Synthetic4Relight Dataset.** Our method successfully recovers accurate albedo and lighting, though the roughness is slightly affected by indirect inter-reflections. Nevertheless, it still achieves the best relighting effects.

4.2 PERFORMANCE ON OBJECT DECOMPOSITION & RELIGHTING

Datasets & Metrics. We evaluate Material decomposition and relighting performance on the Synthetic4Relight dataset Zhang et al. (2022), which includes 4 challenging scenes with complex non-Lambertian materials and indirect lighting effects. Following Gao et al. (2023), we assess NVS, Relighting, Albedo quality using PSNR, SSIM, and LPIPS metrics, along with Roughness MSE, as shown in Tbl. 2. Qualitative results are provided in Fig. 7.

Performance & Discussion. We compare our method with mesh-based (NVdiffrec) and Gaussian-based relightable approaches (R3DG, GS-Shader, GS-IR). As shown in Tbl. 2 and Fig. 7, while our method significantly outperforms the baseline methods in novel view synthesis, we also achieve state-of-the-art performance in relighting, and albedo assessment, demonstrating superior material and lighting disentanglement. In terms of roughness, our method achieves comparable performance to R3DG. This similarity may be attributed to R3DG’s use of ray tracing, which enhances roughness learning. Since our method provides an intermediate mesh, incorporating ray tracing is straightforward and will be explored in future work. In the Supplementary, more qualitative results are provided and we further show experiment results from TensoIR Synthetic Dataset Jin et al. (2023).

Method	Novel View Synthesis			Relighting			Albedo			Roughness
	PSNR \uparrow	SSIM \uparrow	LPIPS \downarrow	PSNR \uparrow	SSIM \uparrow	LPIPS \downarrow	PSNR \uparrow	SSIM \uparrow	LPIPS \downarrow	MSE \downarrow
NVdiffrec	34.99	0.979	0.034	28.89	0.953	0.061	<u>28.66</u>	0.941	0.066	0.026
GS-IR	33.85	0.964	0.050	23.81	0.902	0.086	26.66	0.936	0.085	0.825
GS-Shader	30.26	0.974	0.029	22.32	0.924	0.084	N/A	N/A	N/A	0.050
R3DG*	36.80	0.982	0.028	31.00	0.964	0.050	28.31	0.951	0.058	0.013
Ours	39.20	0.988	0.013	31.65	0.971	0.032	29.21	0.952	<u>0.062</u>	<u>0.017</u>

Table 2: **Quantitative Results on the Synthetic4Relight Dataset** (* means copied from original papers). Our method achieves the best performance in NVS, relighting, and albedo, and on-par performance in roughness compared to R3DG. Note that GS-Shader does not provide disentangled albedo but rather a diffuse color merged with lighting, so we leave it as N/A. Also, note that we apply the albedo scaling introduced in Zhang et al. (2021b) to perform a fair comparison.

4.3 PERFORMANCE ON GEOMETRY RECOVERY

Datasets & Metrics. We evaluate geometry recovery performance on four deliberately selected scenes: Spot, Damicornis, Lego, and Chair, each chosen for its distinct characteristics. Spot is highly reflective, Damicornis and Lego feature complex geometries, and Chair contains detailed textures. Following Munkberg et al. (2022), we assess performance using the Chamfer distance and

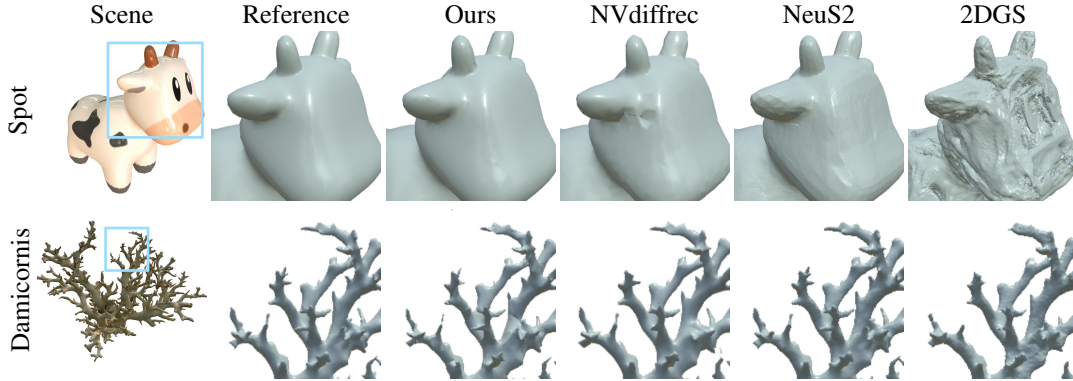


Figure 8: **Qualitative Geometry Comparison.** Our method achieves accurate geometry in scenes with challenging lighting and material conditions (shiny Spot) and complex topology (Damicornis).

F-score, as shown in Tbl. 3. Since our method includes meshes in stage 1 and Gaussian points in both stages 1 and 2, we provide metrics for each. Qualitative results are shown in Fig. 8.

Performance & Discussion. We compare our method with SDF-based (Neus2), mesh-based (NVdiffrec), and Gaussian-based (2DGS) approaches. As shown in Tbl. 3 and Fig. 8, in the highly reflective case (Spot), due to the lack of inverse rendering capability, Neus2 and 2DGS fail to capture the geometry accurately. In scenes with complex geometry, Neus2 achieves better performance, likely due to its dense ray sampling and marching cube grid size (theirs 512^3 v.s. ours 96^3). For the complex texture scene (Chair), our method still demonstrates the best performance. Overall, our approach achieves the best average geometry performance, showcasing the geometry recovery capability of GeoSplatting. Interestingly, the intermediate mesh provides even more accurate distance measurements than the Gaussian points. However, in stage 2, further optimization of the points leads to improved performance.

Method	Spot		Damicornis		Lego		Chair		Avg.	
	CD ↓	F-score ↑	CD ↓	F-score ↑	CD ↓	F-score ↑	CD ↓	F-score ↑	CD ↓	F-score ↑
Neus2	12.43	0.9773	0.12	0.9986	7.03	0.9187	7.94	0.9046	6.88	0.9498
2DGS	39.13	0.6588	0.40	0.9993	13.23	0.9169	3.56	0.9594	14.08	0.8836
NVdiffrec	1.04	0.9921	0.27	0.9974	11.38	0.8506	5.76	0.9359	4.61	0.9440
Ours (Stage1 Points)	0.53	0.9995	16.56	0.9969	11.34	0.9027	4.20	0.9442	8.16	0.9608
Ours (Stage2 Points)	0.49	0.9995	12.40	0.9980	8.71	0.9130	3.11	0.9570	6.17	0.9669
Ours (Mesh)	0.16	0.9997	0.55	0.9985	9.03	0.8886	5.37	0.9254	3.78	0.9530

Table 3: **Quantitative results on Geometry Recovery.** With each scene normalized to the range $[-1, 1]^3$, we report the Chamfer distance (scaled by 10^{-4}) and the F-score (using a threshold of 10^{-3}). GeoSplatting achieves the best geometry in challenging rendering cases, such as the reflective Spot, thanks to its strong inverse rendering capabilities. It performs on par with other state-of-the-art methods and reaches highest performance on average.

4.4 PERFORMANCE ON REAL-WORLD DATASET

Datasets, Performance & Discussion. Lastly, we show qualitative results on real-world DTU dataset Aanæs et al. (2016). While GeoSplatting successfully decomposes reasonable geometry and material, as shown in Fig. 9, the real-world data is still much more challenging than synthetic data due to the inaccurate camera, complex lighting, and self occlusions. For instance, an overestimated roughness can be observed in Scan 65, mainly due to overexposure of input views. More relighting results and failure cases on DTU dataset are provided in the Supp.

4.5 ABLATION STUDIES.

Second Stage Optimization. The second stage optimization plays a crucial role in improving the performance of novel view synthesis. On the NeRF Synthetic Dataset, it helps improve the PSNR from 29.52 to 32.32 (see Tbl. 7 in the Supplementary). The key issue lies in the isosurface’s reliance on grid sampling (96^3 for Flexicubes), which struggles to represent detailed geometry and textures. Therefore, in the second stage, we optimize the Gaussian representation without the constraints of the mesh, allowing it to fully express its representational power. Moreover, the good initialization in

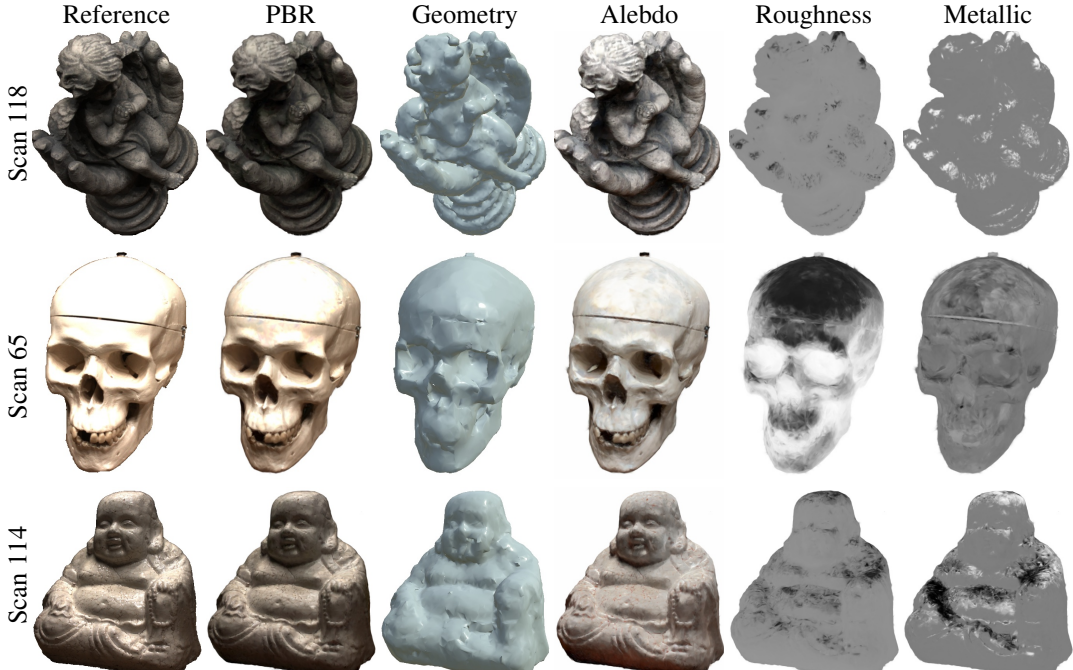


Figure 9: **Qualitative Results on DTU dataset.** Our method successfully recovers meaningful geometry and material on the challenging real-world dataset.

the first stage still guides the optimization toward meaningful decomposition. As shown in Fig. 10, the second stage significantly enhances the performance on normal leading to improved NVS results.

Residual Terms. We find it also helps improve the performance of novel view synthesis, *e.g.*, in Chair scene the PSNR drops 2dB without residual terms. GeoSplatting applies a split-sum model to represent PBR lighting effects. While it achieves delicate decomposition results, it assumes a single-bounce rendering process, *i.e.*, light hits an object and reflects back to the light source without considering any inter-reflection effects. Moreover, during optimization, noise often arises that exceeds the model’s capacity. The inclusion of residual terms significantly improves inverse rendering performance by attributing noise and higher-order lighting effects to the residual terms. As shown in Fig. 5, it successfully models the inter-reflected small green ball.

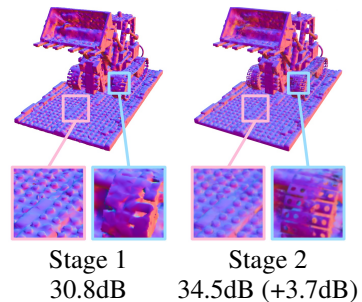


Figure 10: Second Stage Optimization on Lego.

5 CONCLUSION

Limitation: While GeoSplatting demonstrates state-of-the-art performance in NVS and relighting tasks, it still faces several challenges that motivate further research. First, its geometry guidance is derived from the isosurface. Although this significantly improves the geometry performance of 3DGS, it also requires masks during training and is constrained by grid resolution, which limits its application to object-level inverse rendering tasks. A promising direction for future work would be to explore how to eliminate the need for masks and to apply adaptive resolution to accommodate detailed geometry, enabling its extension to scene-level tasks. Furthermore, GeoSplatting currently models only single-bounce specular lighting, leaving the higher-order effects (*e.g.*, inter-reflections) to residual terms. Shadows will be baked into albedo as well, resulting in an inaccurate appearance under relighting conditions. However, since we have access to intermediate meshes, incorporating ray tracing techniques could enable a more comprehensive decomposition of shadows and inter-reflections. These areas hold great potential, and we aim to explore them in future work.

Conclusion: We propose GeoSplatting, a novel hybrid representation that enhances 3DGS with explicit geometric guidance and differentiable PBR equations. GeoSplatting is highly efficient and has demonstrated state-of-the-art performance on inverse rendering tasks. We will release all the code to facilitate related research.

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A APPENDIX

In the appendix, we provide a comprehensive explanation about the details of our work, including detailed implementations and limitations of our method, as well as supplementary results from both quantitative and qualitative experiments.

First, we provide an in-depth explanation for the MGAdapter in Sec. B, followed by a discussion of the implementation details for our loss functions in Sec. C. Next, to further explore the limitations of our method, we present an ablation study of the input mask required during training in Sec. D, along with various failure cases and their corresponding analysis in Sec. E. Lastly, we provide additional results from NVS experiments and relighting experiments in Sec. F.

B EXPLANATION OF MGADAPTER

B.1 OVERVIEW

We first describe the details of our MGAdapter. As discussed in Sec. 3.1, the MGAdapter takes a triangle mesh as input and generates a set of Gaussian points corresponding to the mesh’s shape. The core idea of MGAdapter is to ensure that the shape of the triangle mesh aligns with that of the Gaussian points, serving as a differentiable adapter between the two. However, since Gaussian points lack the discrete geometric boundaries present in meshes, we define geometric alignment as follows: given a triangle face, we can sample several viewpoints and render the triangle from them. The geometric alignment is then measured by difference between the rendered mesh and the rendered Gaussian points (e.g. L_1 loss on depth maps).

The intuitive implementation of our MGAdapter involves sampling several Gaussian points on the mesh surface. These points are then optimized in terms of scale and rotation to minimize the depth map difference between the Gaussian points and the target mesh. However, this approach introduces an additional optimization step that must be re-executed each time the mesh is modified, resulting in reduced optimization efficiency and an unstable training process.

Instead of performing geometric alignment in real-time, we propose utilizing a predefined heuristic function \mathcal{T} , to achieve an approximate alignment. As described in Eq. 1, the MGAdapter \mathcal{T} takes arbitrary triangle meshes as input and outputs Gaussian point attributes, including position μ , scale \mathbf{S} , rotation \mathbf{R} , and normal \mathbf{n} . This process acts as a generalized adapter between the input meshes and the corresponding Gaussian points. In Sec. B.2, we provide a detailed explanation of Eq. 1. Then, we discuss the implementation of the surface adjustment in Sec. B.4, which is critical for Gaussian point rendering. Finally, we explain how to query Gaussian point attributes from a spatial MLP in B.5 and explain the warm-up stage in B.3.

B.2 EXPLANATION OF EQ. 1

Specifically, given the triangle mesh, each triangle face F_i comprises three vertices $P_i = (p_{i1}, p_{i2}, p_{i3})$ with their vertex normals $N_i = (n_{i1}, n_{i2}, n_{i3})$. We symmetrically sample 6 points on F_i with barycentric coordinates:

$$\begin{aligned} b_1 &= (u, u, 1 - 2u) & b_2 &= (u, 1 - 2u, u) & b_3 &= (1 - 2u, u, u) \\ b_4 &= (v, v, 1 - 2v) & b_5 &= (v, 1 - 2v, v) & b_6 &= (1 - 2v, v, v) \end{aligned} \quad (7)$$

And we can obtain 6 midpoints m_{jk} :

$$\begin{aligned} m_{12} &= \frac{b_1 + b_2}{2} = \left(u, \frac{1 - u}{2}, \frac{1 - u}{2} \right) & m_{45} &= \frac{b_4 + b_5}{2} = \left(v, \frac{1 - v}{2}, \frac{1 - v}{2} \right) \\ m_{23} &= \frac{b_2 + b_3}{2} = \left(\frac{1 - u}{2}, \frac{1 - u}{2}, u \right) & m_{56} &= \frac{b_5 + b_6}{2} = \left(\frac{1 - v}{2}, \frac{1 - v}{2}, v \right) \\ m_{31} &= \frac{b_3 + b_1}{2} = \left(\frac{1 - u}{2}, u, \frac{1 - u}{2} \right) & m_{64} &= \frac{b_6 + b_4}{2} = \left(\frac{1 - v}{2}, v, \frac{1 - v}{2} \right) \end{aligned} \quad (8)$$

Given an attribute $A_i = (a_{i1}, a_{i2}, a_{i3})$ defined at the triangle vertices, we represent the barycentric interpolation as:

$$(b_1, b_2, b_3) \odot A_i = b_1 a_{i1} + b_2 a_{i2} + b_3 a_{i3} \quad (9)$$

Then, for each midpoint m_{jk} ($jk = 12, 23, 31, 45, 56, 64$), we sample a Gaussian point as:

$$\begin{aligned} \boldsymbol{\mu} &= m_{jk} \odot P_i & \mathbf{n} &= m_{jk} \odot N_i \\ \mathbf{S}_x &= \alpha_{jk} \|b_k \odot P_i - m_{jk} \odot P_i\|_2 & \mathbf{R}_x &= \frac{b_k \odot P_i - m_{jk} \odot P_i}{\|b_k \odot P_i - m_{jk} \odot P_i\|_2} \\ \mathbf{S}_y &= \frac{\text{Area}(F_i)}{\beta_{jk} \|b_k \odot P_i - m_{jk} \odot P_i\|_2} & \mathbf{R}_y &= \mathbf{n} \times \mathbf{R}_x \\ \mathbf{S}_z &= \delta_{jk} & \mathbf{R}_z &= \mathbf{n} \end{aligned} \quad (10)$$

Here, Eq. 10 provide the formulation of our heuristic function \mathcal{T} , with $u, v, \alpha_{jk}, \beta_{jk}, \delta_{jk}$ as hyper-parameters. To achieve the generalized geometric alignment, we practically set these parameters as follows:

$$\begin{aligned} u &= 0.07 \\ v &= 0.22 \\ \alpha_{12} &= \alpha_{23} = \alpha_{31} = 0.80 \\ \alpha_{45} &= \alpha_{56} = \alpha_{64} = 2.08 \\ \beta_{12} &= \beta_{23} = \beta_{31} = 15.0 \\ \beta_{45} &= \beta_{56} = \beta_{64} = 13.0 \\ \delta_{12} &= \delta_{23} = \delta_{31} = \delta_{45} = \delta_{56} = \delta_{64} = 4.5 \times 10^{-5} \end{aligned} \quad (11)$$

B.3 EXPLANATION OF WARM-UP STAGE

Next, we explain the warm-up stage during training. As outlined in Sec. B.2, we typically sample six Gaussian points from each triangle surface. However, during the initial training stage when the underlying mesh has not yet converged, there can be an excessive number of triangle slices, as illustrated in Fig. 11. Sampling six Gaussian points per face in this scenario can result in significant memory costs and reduced training efficiency.

To address this issue, we implement a warm-up stage for MGadapter at the beginning of training (covering the first 2%). During this phase, MGadapter outputs a significantly reduced number of Gaussian points by performing vertex sampling. Specifically, MGadapter samples a single Gaussian point from each mesh vertex and assigns its normal to match the corresponding vertex normal. For the scales and rotations of the sampled Gaussian points, we utilize two small spatial MLPs to learn these attributes. Once the warm-up stage concludes, the two spatial MLPs are discarded, and the scales and rotations are afterwards computed as described in Sec. B.2.

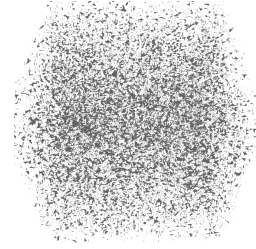


Figure 11: Initial mesh slices of FlexiCubes.

B.4 EXPLANATION OF SURFACE ADJUSTMENT

By applying Eq. 10, we obtain a set of Gaussian points that lie exactly on the surface. However, as mentioned in Sec. 3.1, strictly positioning the Gaussian points on the surface can negatively impact rendering quality, particularly near the boundaries between distinct texture colors.

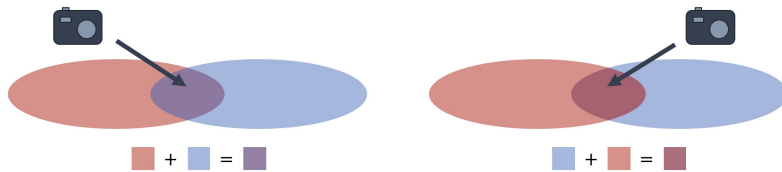


Figure 12: **Inconsistent Sorting.** The vanilla 3D splatting algorithm produces multi-view-inconsistent depths, leading to varying blending sequences across different views.

This issue primarily arises from the approximations made during the projection transformation of 3DGS, as noted in Zwicker et al. (2004). These approximations lead to multi-view-inconsistent sorting in the overlapping regions between two surface-aligned Gaussian points, as illustrated in Fig. 12. Consequently, Gaussian points near color boundaries struggle to learn a consistent appearance. Fig. 13(a) presents rendering results when Gaussian points are strictly positioned on the surface, further demonstrating this problem. However, upon noticing vanilla 3DGS can achieve high rendering quality despite the projection approximations, we perform further analysis and found it automatically learns to position those boundary Gaussians deeper, placing them beneath the actual surface. This adjustment results in a consistent depth sorting. Therefore, in our MGAdapter, we also allow Gaussian points to learn a small offset along the normal direction, which can significantly enhance rendering quality, as demonstrated in Fig. 13(b). The magnitude of this surface adjustment (measured by $\|v\|$) is visualized in Fig. 13(c), highlighting larger adjustments near the color boundaries.

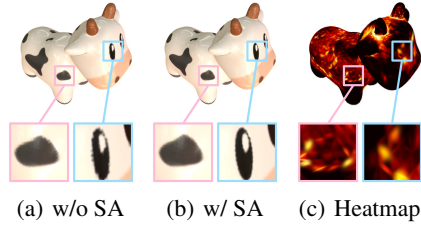


Figure 13: **Surface Adjustment (SA)**
Explanation. (a) PSNR: 31.9dB; (b) PSNR: 33.5dB; (c) Magnitude of SA.

The depth error from the projection approximation in 3DGS has also been discussed in recent work, specifically 2DGS Huang et al. (2024). Rather than applying 3D splatting to flat Gaussian points, 2DGS employs a ray-splat intersection algorithm to ensure depth-precise rendering, resulting in a view-consistent appearance. However, when integrating the 2D splatting algorithm into our pipeline without surface adjustment, we observe strong floater artifacts which are illustrated in Fig. 14, probably due to the incompatibility between 2DGS and FlexiCubes. Specifically, as noted in the original paper, 2D Gaussian points can degenerate into a line when observed from a slanted viewpoint. In this context, 2DGS renders these Gaussian points differently and we empirically find it causing FlexiCubes to struggle with reducing mesh slices shown in Fig. 11, leading to unwanted floaters. We conducted a quantitative analysis comparing the two splatting algorithms, with results presented in Tbl. 4, demonstrating the incompatibility between 2DGS and FlexiCubes. Consequently, we have chosen to employ 3D splatting instead.

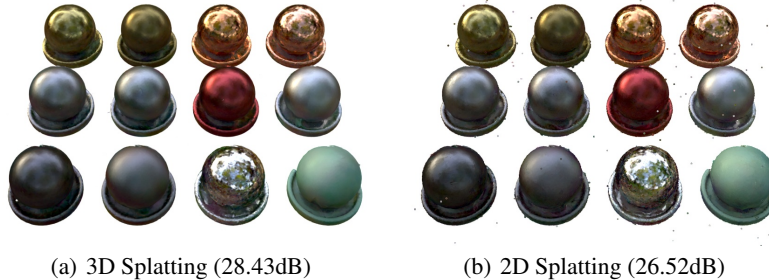


Figure 14: **Qualitative Comparison between 2D Splatting and 3D Splatting.** Producing incorrect rendering results for tiny surfels, 2DGS encounters challenges in reducing the triangle slices initially generated by FlexiCubes, leading to noticeable floaters.

Method	Chair	Drums	Ficus	Hotdog	Lego	Materials	Mic	Ship	Avg.
Ours (3D splatting)	31.98	24.53	28.96	33.85	30.83	28.43	31.32	26.23	29.52
Ours (2D splatting)	29.44	23.71	26.34	31.18	29.86	26.52	28.21	25.22	27.56

Table 4: Splatting algorithm comparison on NeRF dataset (PSNR \uparrow).

B.5 EXPLANATION OF SPATIAL MLP

Lastly, we discuss how to model PBR attributes and surface adjustments on Gaussian points. Since Gaussian points are generated in real time from the underlying mesh, directly modeling these attributes as learnable parameters is impractical due to the varying number of Gaussian points during training. Instead, we employ a spatial MLP F to construct an attribute field, as mentioned in Sec. 3.3.

Specifically, the spatial MLP incorporates the multi-resolution hash encoding introduced in Müller et al. (2022), followed by a compact MLP. For any spatial coordinate $p \in [-1, 1]^3$, the spatial MLP outputs $F(p) \in \mathbb{R}^C$. Implemented using tiny-cuda-nn Müller (2021), we utilize two spatial MLPs, F_{PBR} and F_{SA} , to model PBR attributes and surface adjustments, respectively. Detailed parameters can be found in Tbl. 5.

Module	Parameter	Value
$F_{\text{PBR}}/F_{\text{SA}}$ HashEnc	Number of levels	16
	Max.entries per level (hash table size)	2^{19}
	Number of feature dimensions per entry	2
	Coarsest resolution	32
	Finest resolution	4096
F_{PBR} MLP	MLP layers	$32 \times 32 \times 32 \times 6$
	Initialization	Kaiming-uniform
	Final activation	Sigmoid
F_{SA} MLP	MLP layers	$32 \times 32 \times 1$
	Initialization	Kaiming-uniform
	Final activation	None

Table 5: Parameters of Spatial MLP

C DETAILS OF LOSS FUNCTIONS

C.1 PHOTOMETRIC TERM

During the training stage, for each view i , GeoSplatting differentially renders a RGB image $I_{\text{pred}}^{(i)} \in \mathbb{R}^{H \times W \times 3}$ and takes the alpha channel as the mask $M_{\text{pred}}^{(i)} \in \mathbb{R}^{H \times W \times 1}$. Given the ground truth $I_{\text{gt}}^{(i)}$ and $M_{\text{gt}}^{(i)}$ under the view i , the photometric loss is computed as:

$$\begin{aligned} \mathcal{L}_{\text{photo}} &= \mathcal{L}_1 + \lambda_{\text{ssim}} \mathcal{L}_{\text{SSIM}} + \lambda_{\text{mask}} \mathcal{L}_{\text{mask}} \\ &= \|I_{\text{gt}}^{(i)} - I_{\text{pred}}^{(i)}\|_1 + \lambda_{\text{ssim}} \text{SSIM}(I_{\text{gt}}^{(i)}, I_{\text{pred}}^{(i)}) + \lambda_{\text{mask}} \|M_{\text{gt}}^{(i)} - M_{\text{pred}}^{(i)}\|_2 \end{aligned} \quad (12)$$

Here, $\lambda_{\text{ssim}} = 0.2$ and $\lambda_{\text{mask}} = 5.0$ for all the cases.

C.2 ENTROPY REGULARIZATION TERM

Following DM Tet and Flexicubes Shen et al. (2021; 2023), we add an entropy loss to constrain the shape. Specifically, we employ Flexicubes as the underlying geometric representation, which defines a scalar function $\zeta : \mathbb{R}^3 \rightarrow \mathbb{R}$ on the underlying cube grids $\mathcal{G}(\mathcal{V}, \mathcal{E})$ and then extracts isosurfaces via the differential Dual Marching Cubes introduced by Shen et al. (2023). Given an edge (v_i, v_j) from edge set \mathcal{E} , the SDF values defined on the endpoints v_i, v_j are respectively $\zeta(v_i)$ and $\zeta(v_j)$.

Then, we can compute the regularization term as:

$$\mathcal{L}_{\text{sdf}} = \sum_{(v_i, v_j) \in \mathcal{E}, \text{sgn}(\zeta(v_i)) \neq \text{sgn}(\zeta(v_j))} \mathcal{H}(\zeta(v_i), \text{sgn}(\zeta(v_j))) + \mathcal{H}(\zeta(v_j), \text{sgn}(\zeta(v_i))) \quad (13)$$

Here, \mathcal{H} denotes the binary cross entropy. By encouraging the same sign of ζ , such a regularization term penalize internal geometry and floaters.

C.3 SMOOTHNESS REGULARIZATION TERM

Following NVdiffrec and R3DG Munkberg et al. (2022); Gao et al. (2023), we apply smoothness regularization on albedo, roughness and metallic to prevent dramatic high-frequency variations. Given the positions μ of gaussian points, the albedo, roughness and metallic attributes are generated from the spatial MLP:

$$(v, k_d, r, m, c^r) = F(\boldsymbol{\mu}) \quad (14)$$

While applying a small perturbation on $\boldsymbol{\mu}$ can yield a different set of attributes:

$$(v', k'_d, r', m', c^{r'}) = F(\boldsymbol{\mu} + \Delta\boldsymbol{\mu}) \quad (15)$$

The smoothness are computed as:

$$\mathcal{L}_{smooth} = \lambda_{albedo} \|k_d - k'_d\|_1 + \|r - r'\|_1 + \|m - m'\|_1 \quad (16)$$

Here, $\lambda_{albedo} = 6.0$.

C.4 LIGHT REGULARIZATION TERM

Following NVdiffrec and R3DG Munkberg et al. (2022); Gao et al. (2023), we add white balance regularization to prevent the albedo from being baked into the environment map.

Given a learnable environment map $L \in \mathbb{R}^{6 \times 512 \times 512 \times 3}$ which can be splited into RGB channels $L_R, L_G, L_B \in \mathbb{R}^{6 \times 512 \times 512}$, the white balance regularization is computed as:

$$\mathcal{L}_{light} = \frac{1}{3} (\|L_R - L_W\|_1 + \|L_G - L_W\|_1 + \|L_B - L_W\|_1) \quad (17)$$

where $L_W = \frac{1}{3}(L_R + L_G + L_B)$.

C.5 FINAL LOSS

The final loss \mathcal{L} is computed as:

$$\mathcal{L} = \mathcal{L}_{photo} + \lambda_{sdf} \mathcal{L}_{sdf} + \lambda_{smooth} \mathcal{L}_{smooth} + \lambda_{light} \mathcal{L}_{light} \quad (18)$$

Here, λ_{sdf} is initially set to 0.2 at the start of the training stage and is linearly decreased to 0.01 by the midpoint of the training. As for λ_{smooth} and λ_{light} , typical settings are $\lambda_{smooth} = 0.005$, $\lambda_{light} = 0.0005$. For highly specular objects, λ_{light} should be set to a smaller value, such as 0.00001.

D ANALYSIS OF MASK

As discussed in Sec. C.1, our method requires input masks during the training stage. Specifically, the mask term of the loss function in Eq. 12 is defined by the difference between the input masks and our predicted masks. This dependency introduces a limitation, as real-world data must first be segmented into foreground and background. To provide a comprehensive understanding, we present an ablation study to illustrate how the dependency on input masks varies across different scenes.

D.1 OBJECT-LEVEL

Table 6 presents the performance differences in novel view synthesis (measured in terms of PSNR) on the NeRF Synthetic Dataset, while qualitative comparison are shown in Fig. 15. The results indicate that without the mask, our method has difficulty reconstructing smooth, convex surfaces with specular highlights, as seen in Materials and Mic. Additionally, for objects with thin structures, such as Ficus, performance significantly declines in the absence of the mask loss term. In contrast, for the other five objects in the NeRF Synthetic Dataset, the ground truth mask is not essential for achieving satisfactory results.

Method	Chair	Drums	Ficus	Hotdog	Lego	Materials	Mic	Ship	Avg.
Ours w/ mask (stage 1)	31.98	24.53	28.96	33.85	30.83	28.43	31.32	26.23	29.52
Ours w/o mask (stage 1)	31.92	23.53	26.11	33.95	31.02	24.81	30.99	26.08	28.55
Difference	-0.06	-1.00	-2.85	+0.10	+0.19	-3.62	-0.33	-0.15	-0.97
Ours w/ mask (stage 2)	34.71	26.05	33.48	36.40	34.47	29.66	34.62	29.17	32.32
Ours w/o mask (stage 2)	34.81	25.72	31.56	36.36	34.73	28.22	34.31	28.54	31.78
Difference	+0.10	-0.33	-1.92	-0.04	+0.26	-1.44	-0.31	-0.63	-0.54

Table 6: Quantitative results of mask ablation study (PSNR \uparrow).

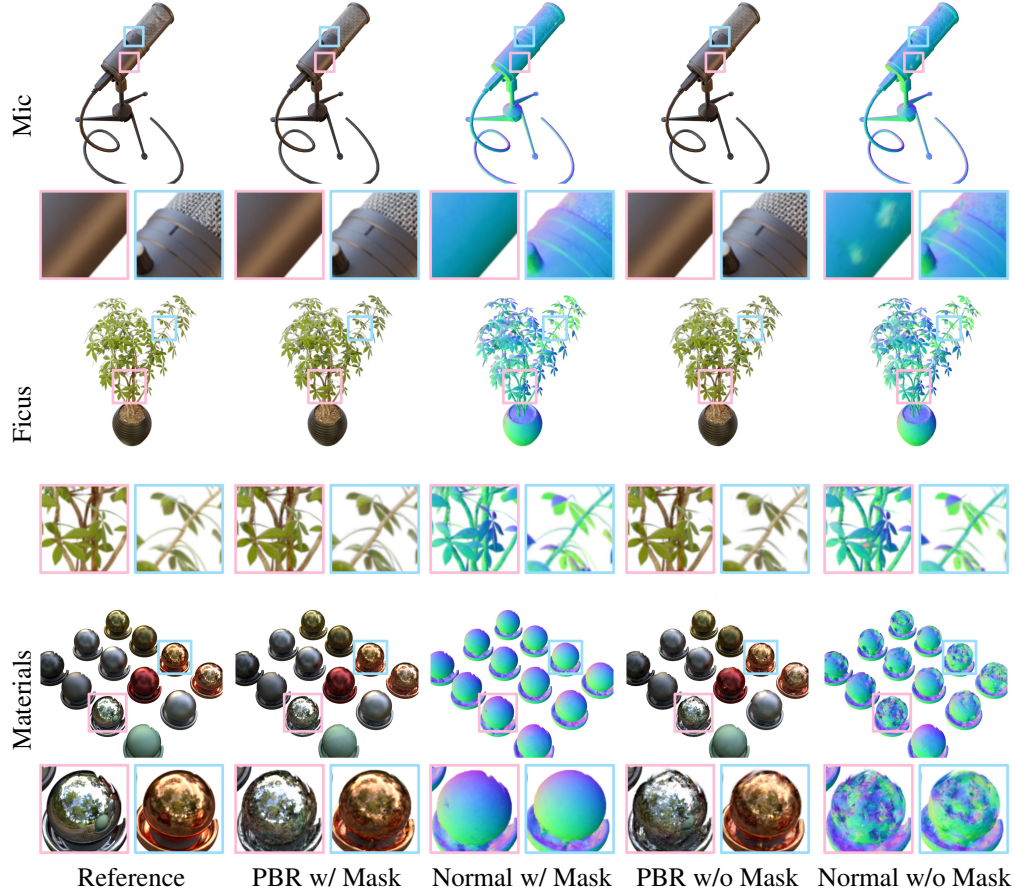


Figure 15: Qualitative results of mask ablation study.

D.2 SCENE-LEVEL

Without input masks, our method will completely fail on scene-level cases, as illustrated in Fig. 16. To extend our method from object-level decomposition to scene-level decomposition, a promising direction is to explore how to eliminate the need for masks and to apply adaptive resolution to accommodate detailed geometry.



Figure 16: Failure on scene-level decomposition tasks.

E FAILURE CASES

We present a series of failure cases to illustrate the limitations of our method. The qualitative examples from both the synthetic dataset and the DTU Dataset highlight scenarios that lead to incorrect decomposition or poor geometry.

E.1 THIN STRUCTURES

As discussed in Sec. 4.5, our method struggles with thin structures in the first stage due to grid resolution limitations. While the second stage relaxes positional constraints on Gaussian points to aid in recovering fine geometry, it still cannot perfectly reconstruct thin structures due to the absence of geometric guidance in Stage 2. Fig. 17 showcases failure cases involving the Ficus, Ship, and Air Balloons.

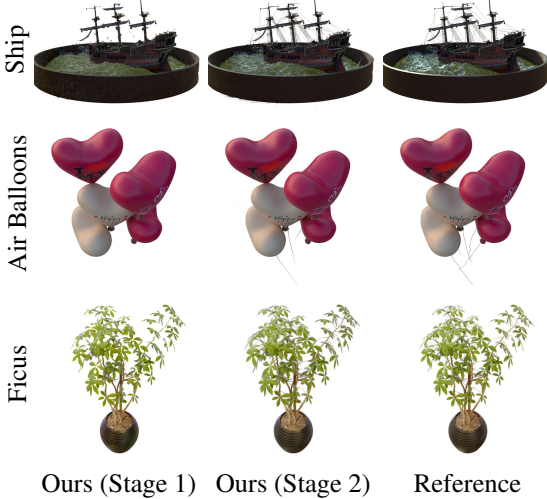


Figure 17: Failure cases of thin structures.

E.2 INCONSISTENT LIGHTING

Variations in illumination conditions (e.g. exposure and shadows) across multiple views can lead to inconsistent lighting, especially for datasets captured in real-world environments. An illustrative example from DTU Dataset is provided in Fig. 18, which demonstrates significant illumination changes between View 38 and View 40. Consequently, our method can produce incorrect decompositions in these scenes, resulting in overestimated metallic, noisy lighting, and distorted geometry near the inconsistent regions, shown in Fig. 19.

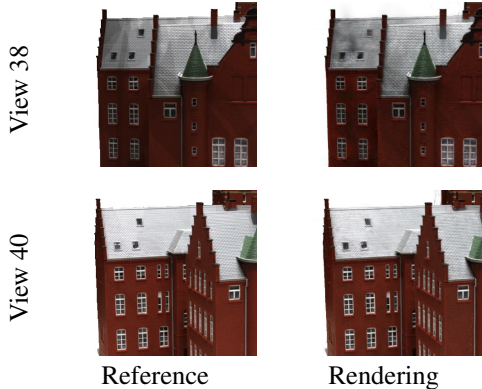


Figure 18: Inconsistent lighting on Scan 24.

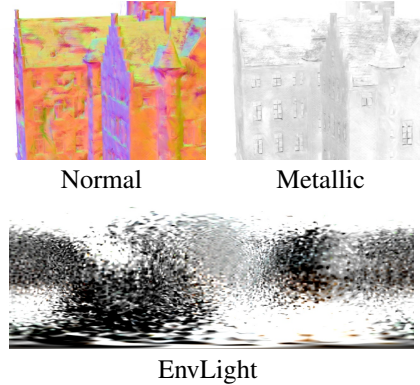


Figure 19: Incorrect decomposition.

E.3 UNDEREXPOSURE

Fig. 20 also illustrates a failure case in which the reference image is heavily underexposed. The ambiguous material-lighting composition in this scenario results in incorrect geometry recovery, as our method optimizes both aspects jointly.



Figure 20: Underexposed views from DTU Scan 110.

F MORE RESULTS

F.1 MORE RESULTS ON NVS

We provide the full table that contains 8 scenes of NeRF Synthetic Dataset in Tbl. 7, as well as more qualitative results in Fig. 21.



Figure 21: **More qualitative NVS comparison on NeRF dataset.** Our method effectively recovers complex geometries, detailed textures, and non-Lambertian appearances, as shown in the sub-windows.

Method	Relightable	Chair	Drums	Ficus	Hotdog	Lego	Materials	Mic	Ship	Avg.
NeRF*	No	33.00	25.01	30.13	36.18	32.54	29.62	32.91	28.65	31.00
MipNeRF*	No	35.14	25.48	33.29	37.48	35.70	30.71	36.51	30.41	33.09
3DGS	No	35.55	26.04	34.66	37.58	34.63	29.63	36.71	30.58	33.17
TenSolR	Yes	31.45	24.40	28.51	33.55	32.20	26.74	31.59	27.78	29.53
NVdiffrec	Yes	31.66	24.31	30.01	32.67	29.01	26.84	30.22	25.64	28.79
GS-IR	Yes	29.34	23.84	28.27	32.80	33.66	25.92	30.45	27.27	28.94
R3DG	Yes	31.85	24.71	31.34	33.07	32.69	26.46	32.74	28.32	30.15
GaussianShader	Yes	33.43	25.46	33.04	35.26	33.03	28.83	34.06	28.49	31.45
Ours (stage 1)	Yes	31.98	24.53	28.96	33.85	30.83	28.43	31.32	26.23	29.52
Ours (stage 2)	Yes	34.71	26.05	33.48	36.40	34.47	29.66	34.62	29.17	32.32

Table 7: Detailed quantitative NVS Comparison on NeRF dataset (PSNR \uparrow).

F.2 MORE RESULTS ON SYNTHESIC4RELIGHT DATASET

We provide all the other examples of Synthetic4Relight dataset in Fig. 22, Fig. 23 and Fig. 24. Detailed quantitative results are shown in Table 8.

Scene	Novel View Synthesis			Relighting			Albedo			Roughness
	PSNR \uparrow	SSIM \uparrow	LPIPS \downarrow	PSNR \uparrow	SSIM \uparrow	LPIPS \downarrow	PSNR \uparrow	SSIM \uparrow	LPIPS \downarrow	MSE \downarrow
Air Balloons	36.08	0.9806	0.023	30.89	0.9617	0.041	26.14	0.9215	0.068	0.018
Chair	40.92	0.9892	0.007	32.68	0.9795	0.018	29.59	0.9549	0.056	0.007
Hotdog	38.49	0.9876	0.015	27.54	0.9573	0.053	28.23	0.9572	0.087	0.037
Jugs	39.48	0.9940	0.007	35.49	0.9859	0.014	32.38	0.9732	0.040	0.005
Avg.	39.20	0.9881	0.013	31.65	0.9713	0.032	29.21	0.9517	0.063	0.017

Table 8: Detailed quantitative results of GeoSplatting on Synthetic4Relight dataset.

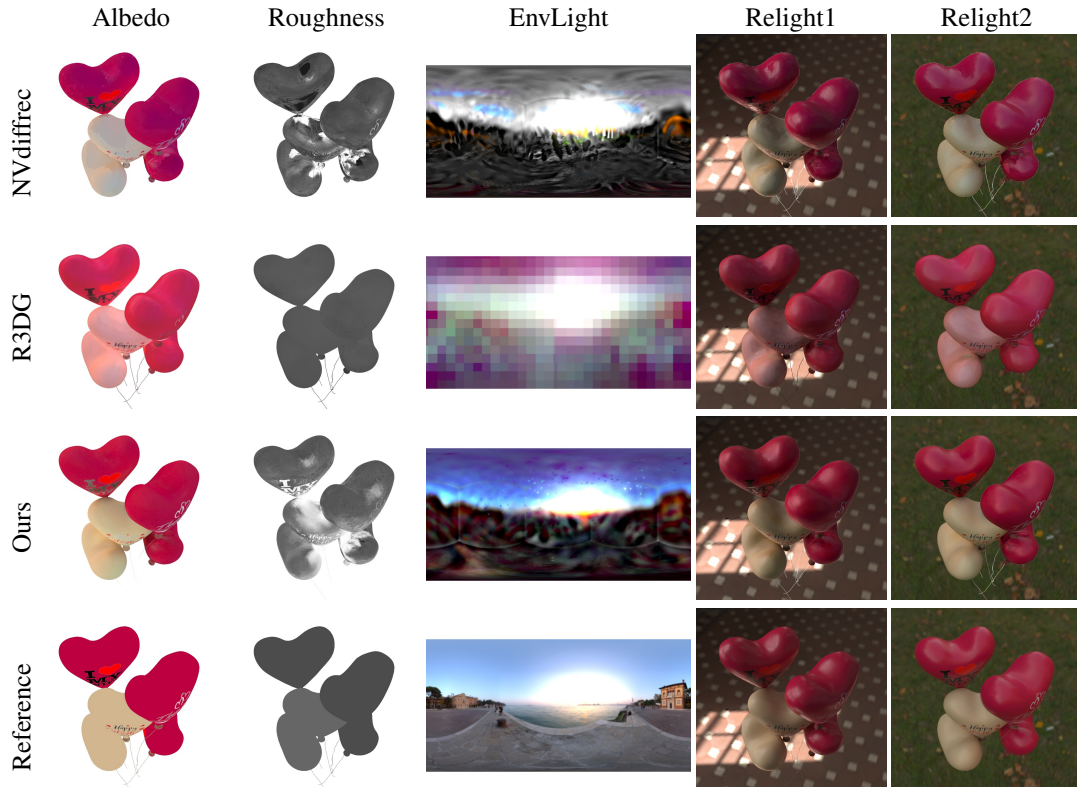


Figure 22: Qualitative comparison on Air Balloons from Synthetic4Relight dataset.

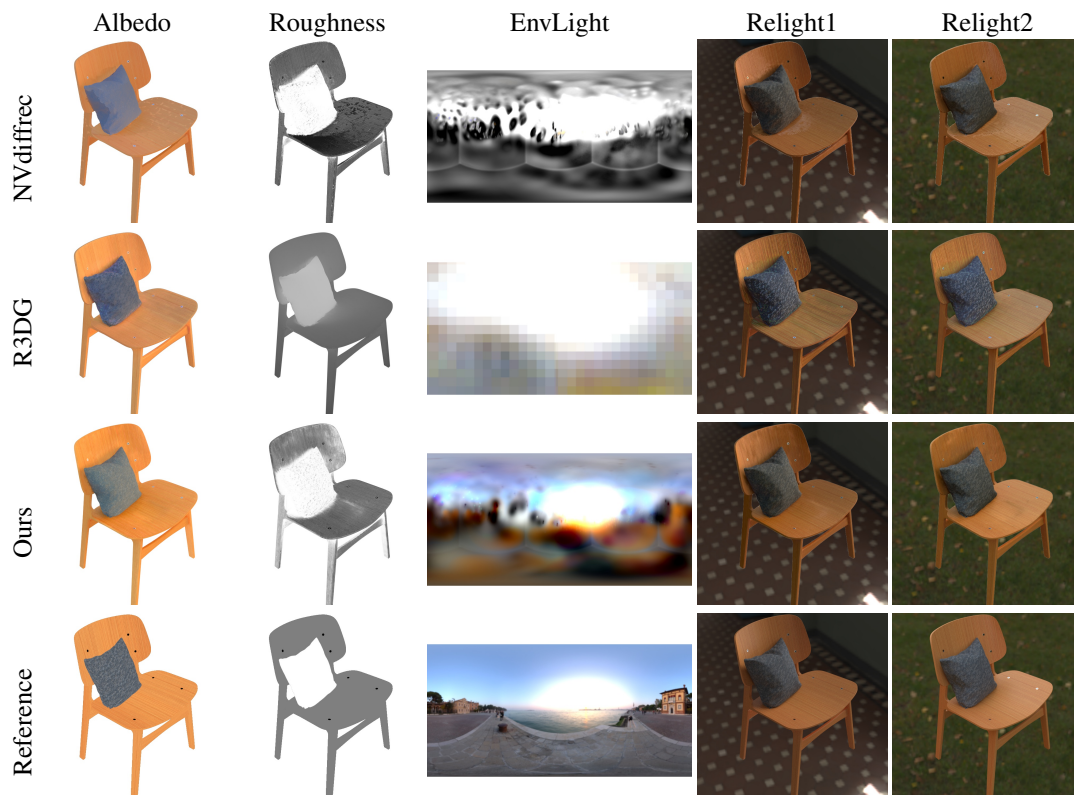


Figure 23: Qualitative comparison on Chair from Synthetic4Relight dataset.

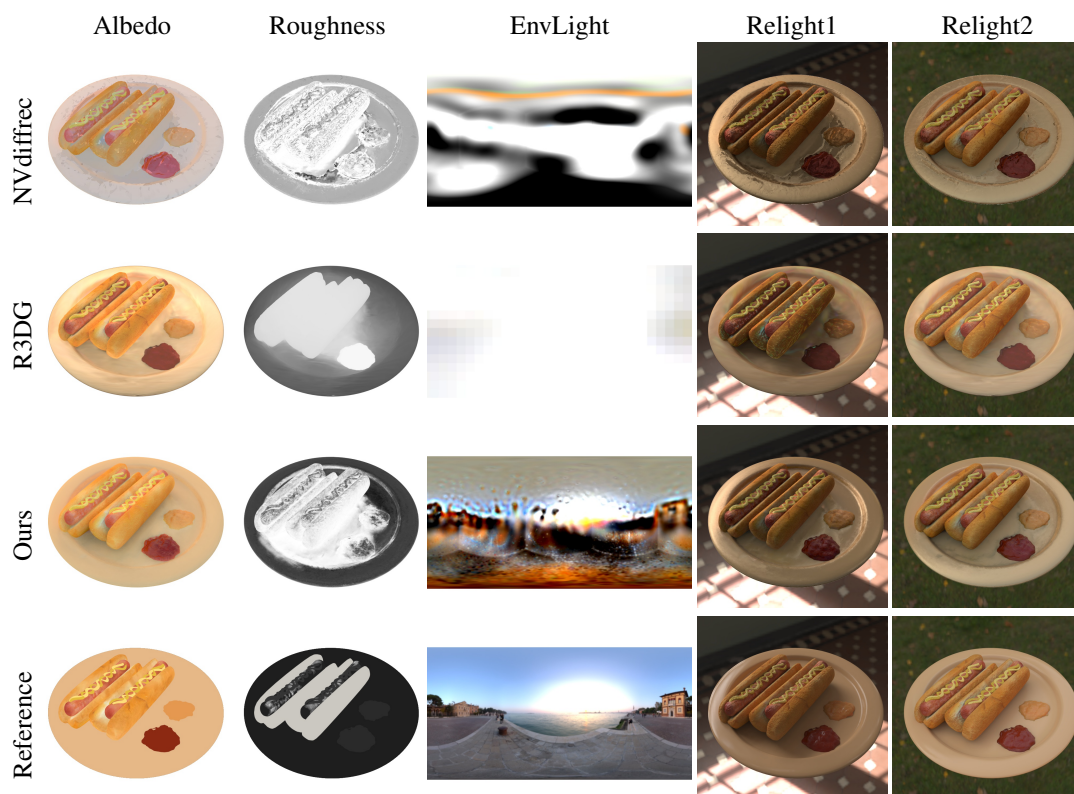


Figure 24: Qualitative comparison on Hotdog from Synthetic4Relight dataset.

F.3 COMPARISON ON TENSOR DATASET

Additionally, We perform comparison on TensorIR dataset. Qualitative results are provided in Fig. 25. Quantitative comparison are shown in Table 9. While our method outperforms existing relightable baselines in both novel view synthesis and relighting, it also achieves comparable performance in albedo reconstruction. However, we observe a decrease in albedo reconstruction quality when transitioning from Synthetic4Relight Dataset to TensorIR Dataset. This decline is primarily due to our method partially incorporating shadows into the albedo, leading to less accurate albedo for scenes with complicated occlusion (e.g. Lego from TensorIR Dataset), which presents an area for improvement in future work.

Scene	Method	Novel View Synthesis			Relighting			Albedo		
		PSNR \uparrow	SSIM \uparrow	LPIPS \downarrow	PSNR \uparrow	SSIM \uparrow	LPIPS \downarrow	PSNR \uparrow	SSIM \uparrow	LPIPS \downarrow
Armadillo	NVdiffrec	34.31	0.986	0.025	26.59	0.925	0.050	30.51	0.953	0.068
	TensorIR	37.92	0.975	0.042	<u>34.31</u>	0.975	<u>0.025</u>	<u>33.11</u>	<u>0.957</u>	<u>0.057</u>
	GS-IR	35.44	0.962	0.040	28.93	0.922	0.083	35.57	0.951	0.089
	R3DG	<u>39.54</u>	0.981	0.032	32.44	0.951	0.068	32.89	0.954	0.076
	Ours	43.68	0.993	0.005	34.63	<u>0.970</u>	0.024	31.58	0.958	0.042
Ficus	NVdiffrec	27.77	0.966	0.051	23.00	0.938	0.070	25.38	0.950	0.057
	TensorIR	29.78	0.949	0.037	24.28	0.946	0.061	27.74	0.968	0.030
	GS-IR	20.71	0.853	0.100	25.01	0.871	0.078	<u>29.52</u>	0.888	0.090
	R3DG	<u>31.99</u>	<u>0.975</u>	<u>0.027</u>	30.58	<u>0.958</u>	<u>0.035</u>	30.09	0.959	<u>0.030</u>
	Ours	35.45	0.992	0.006	30.30	0.978	0.016	28.12	<u>0.965</u>	0.026
Hotdog	NVdiffrec	34.85	0.973	0.044	23.19	0.910	0.113	26.65	0.928	0.117
	TensorIR	<u>36.69</u>	<u>0.976</u>	<u>0.022</u>	27.72	<u>0.931</u>	<u>0.090</u>	26.68	<u>0.955</u>	<u>0.077</u>
	GS-IR	31.65	0.961	0.042	20.40	0.889	0.112	21.34	0.907	0.127
	R3DG	33.38	0.972	0.031	26.64	0.921	0.091	26.18	0.951	0.081
	Ours	38.10	0.985	0.014	26.07	0.937	0.066	28.21	0.956	0.075
Lego	NVdiffrec	31.92	0.959	0.030	25.79	0.891	0.078	20.84	0.856	0.142
	TensorIR	<u>34.95</u>	<u>0.964</u>	<u>0.020</u>	27.71	0.926	<u>0.059</u>	25.86	0.931	0.072
	GS-IR	31.72	0.940	0.036	23.05	0.853	0.089	20.76	0.823	0.159
	R3DG	30.47	0.947	0.036	24.54	0.878	0.095	<u>25.79</u>	<u>0.916</u>	<u>0.102</u>
	Ours	37.07	0.981	0.011	<u>27.15</u>	<u>0.920</u>	0.053	22.06	0.887	0.113
Avg.	NVdiffrec	32.21	0.971	0.037	24.64	0.916	0.078	25.84	0.922	0.096
	TensorIR	<u>34.84</u>	<u>0.966</u>	<u>0.030</u>	28.51	<u>0.945</u>	<u>0.059</u>	<u>28.35</u>	0.953	0.059
	GS-IR	29.88	0.929	0.055	24.35	0.884	0.091	26.80	0.892	0.116
	R3DG	33.84	0.968	0.031	<u>28.55</u>	<u>0.927</u>	<u>0.072</u>	28.74	<u>0.945</u>	0.072
	Ours	38.57	0.988	0.009	29.54	0.951	0.040	27.49	0.941	0.064

Table 9: **Quantitative Results on the TensorIR Dataset.** Note that we no longer report MSE on roughness here, as TensorIR dataset does not provide its ground truth value.



Figure 25: Qualitative comparison on Armadillo from TensorIR dataset.

F.4 MORE RELIGHTING ON SYNTHETIC DATA

We provide more relighting results on synthetic data in Fig. 26, including Spot, Materials and Lego.

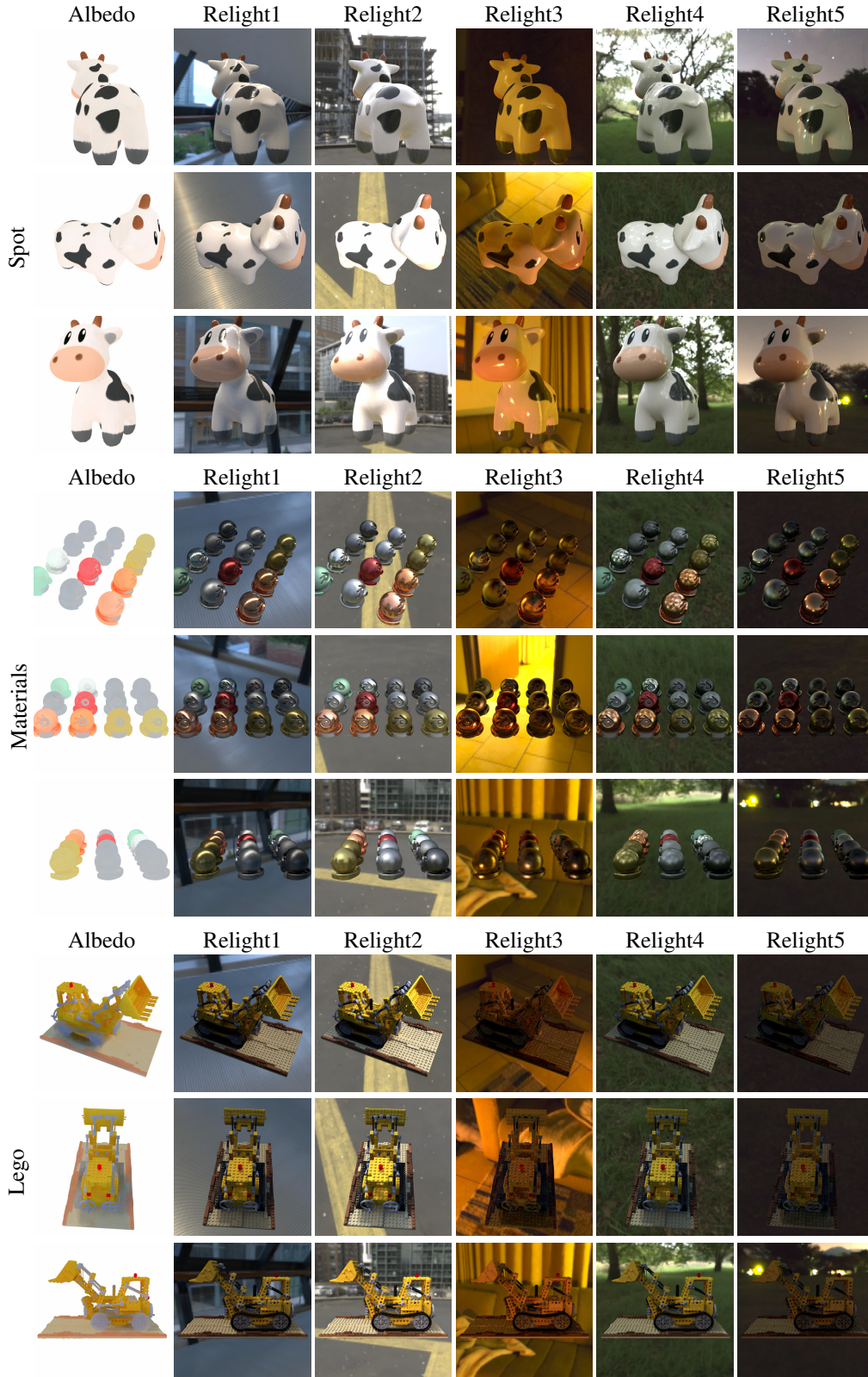


Figure 26: Relighting on synthetic data.

F.5 RELIGHTING ON DTU DATASET

In Fig. 27, we also provide real-world relighting results from DTU Dataset.

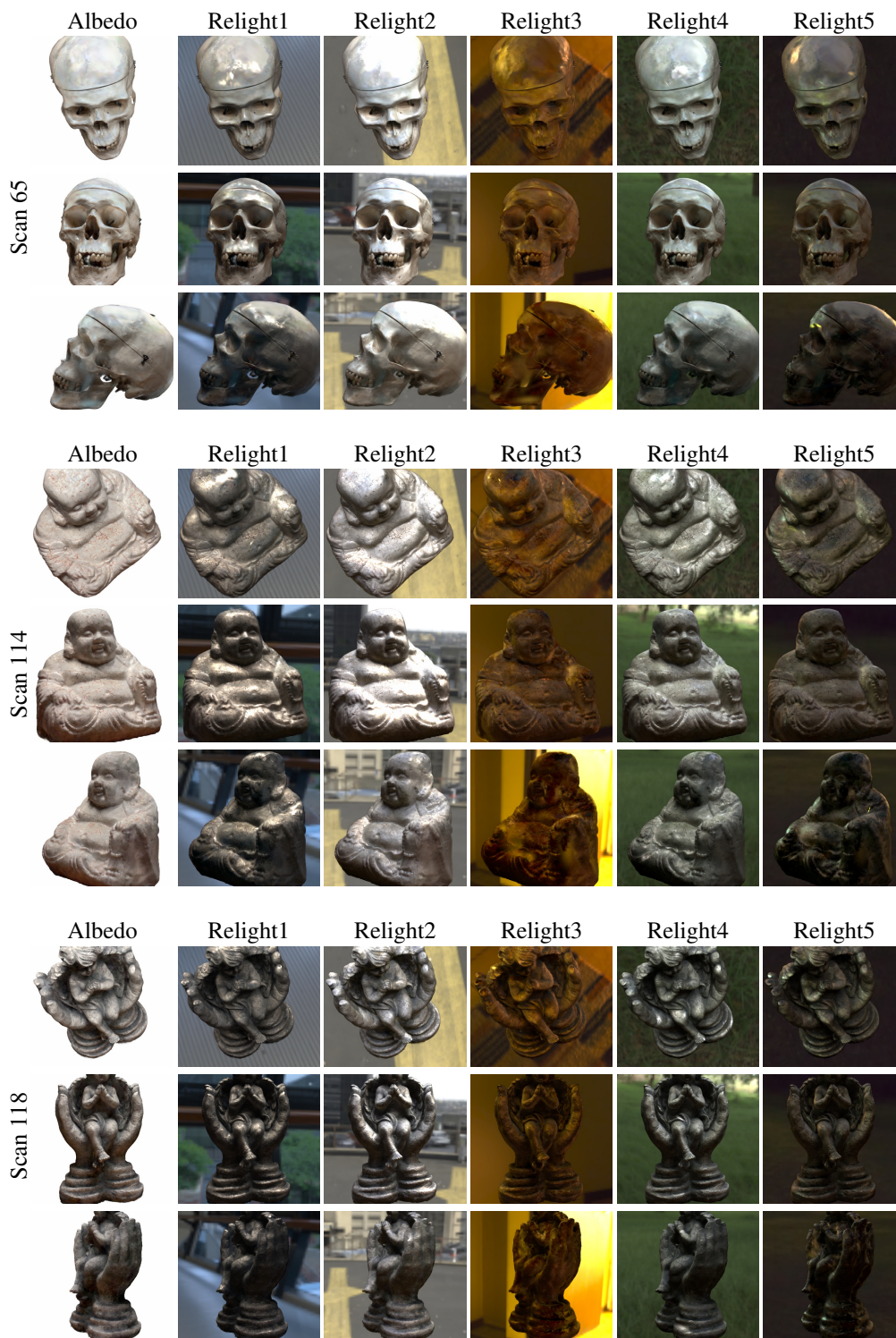


Figure 27: Relighting on DTU dataset.